Yet More GNSS Applications: Volcanic Hail Detection and Instantaneous Velocities for Rapid Earthquake Characterization

#### **Ronni Grapenthin (UAF-GI)**

Collaborators: Sigrún Hreinsdóttir (GNS), Alexa Van Eaton (CVO), Carl Tape (UAF), Mike West (UAF), Jeff Freymueller (MSU)





# Ionosphere, Tectonics ... Snow Depth



Komjathy et al. (2016)

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Komjathy et al. (2016)



Herring et al. (2016)

# Ionosphere, Tectonics ... Snow Depth



Komjathy et al. (2016)







McCreight et al., (2014), Larson et al. (2009)

Herring et al. (2016)

# Eruption Close-Up: Grímsvötn 2011



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#### **Eruption:**

- Subglacial basaltic volcano covered by the Vatnajökull ice cap
- Explosive eruption 21-28 May 2011 (VEI 4)
- Recorded displacement of >57 cm
- Produced eruption plumes > 20 km

#### 2011 Grímsvötn Eruption



#### 2011 Grímsvötn: Plume Analysis













#### Plumes: Phase Delay and SNR



Grapenthin et al., JVGR (2013)

#### Plumes: Phase Delay and SNR



Grapenthin et al., JVGR (2013)

## Plumes: Grímsvötn 2011



Hreinsdóttir et al. (2014)

#### Plumes: GFUM Phase Delay



#### Plumes: GFUM Phase Delay



#### Plumes: GFUM Phase Delay



Grapenthin et al., GRL (2018)

#### Plume Analysis: SNR & Phase Delay





#### Plume Analysis: SNR & Phase Delay



#### Plume Analysis: SNR & Phase Delay











# Plume Analysis: Hail



Grímsvötn 2011 – Hagl-02 Macro-photo Þórður Arason 11 June 2011

#### Instantaneous Velocities - Phase Observation Model

$$\phi^{(s)} = \frac{1}{\lambda} (\mathbf{r}^{(s)} + \mathbf{I} + \mathbf{T}) + \frac{c}{\lambda} (\delta t_u - \delta t^s) + \mathbf{N} + \mathbf{MP} + \epsilon$$

$$\phi^{(s)} = \frac{1}{\lambda} (r^{(s)} + I + T) + \frac{c}{\lambda} (\delta t_u - \delta t^s) + N + MP + \epsilon$$

- $\phi^{(s)}$  carrier phase to satellite *s*, **in cycles, measured**  $r^{(s)}$  true range to satellite *s*
- $\lambda$  carrier wavelength (L1: 19.05 cm, L2: 24.45 cm, L5: 25.48 cm)
- c speed of light
- $\delta t_{\rm u}, \delta t^{\rm s}$  receiver, satellite clock biases
- I, T Ionospheric and tropospheric delays
- N integer ambiguity, number of full cycles not tracked
- MP Multipath (interference of reflected signals, see below)
- $\epsilon$  unmodeled effects, measurement errors, etc.

# $\phi^{(s)} = \frac{1}{\lambda}(r^{(s)} + I + T) + \frac{c}{\lambda}(\delta t_u - \delta t^s) + N + MP + \epsilon$

Misra and Enge (2011), Colosimo et al. (2011), Gaglione (2015), Grapenthin et al. (2018)

$$\phi^{(s)} = \frac{1}{\lambda} (r^{(s)} + I + T) + \frac{c}{\lambda} (\delta t_u - \delta t^s) + N + MP + \epsilon$$
  
$$\Delta \Phi^s = (\mathbf{v}^s - \mathbf{v}_u) \times \mathbf{1}^s + \dot{b} + \delta \epsilon_{\Phi}$$

Misra and Enge (2011), Colosimo et al. (2011), Gaglione (2015), Grapenthin et al. (2018)

#### Instantaneous Velocities

$$\begin{split} \phi^{(s)} &= \frac{1}{\lambda} (r^{(s)} + l + T) + \frac{c}{\lambda} (\delta t_u - \delta t^s) + N + MP + \epsilon \\ \Delta \Phi^s &= (\mathbf{v}^s - \mathbf{v}_u) \times \mathbf{1}^s + \dot{b} + \delta \epsilon_{\Phi} \\ \mathbf{D} &= \mathbf{G} \begin{bmatrix} \mathbf{v}_u \\ \dot{b}_u \end{bmatrix} + \delta \epsilon_{\Phi} \end{split}$$

Misra and Enge (2011), Colosimo et al. (2011), Gaglione (2015), Grapenthin et al. (2018)

#### Instantaneous Velocities: 2016 M<sub>w</sub>7.1 Iniskin



Grapenthin et al., 2018

# Instantaneous Velocities: 2016 M<sub>w</sub>7.1 Iniskin



Grapenthin et al., 2018

#### Instantaneous Velocities: 2016 M<sub>w</sub>7.1 Iniskin



-15 -10 -5 0 5 10 15

Grapenthin et al., 2018

### Instantaneous Velocities: 2015 M<sub>w</sub>7.8 Gorkha



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# GNSS has **broad impacts** touching many communities.

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With more to come ...?!